# Course No: BS-MATH 111

**Title: Engineering Mathematics – I** 

Semester: I (New)

Credit: 3 ( 2+1)

# **Teaching Schedule – Theory with weightages (%)**

Lecture No.	Topics to be covered	Weightages (%)		
Matrices and its Applications				
1-9	Rank of Matrix			
	Inverse of Matrix by Gauss- Jordan			
	Reduction to normal form			
	Applications: Consistency of linear system of equations			
	Linear transformation	30%		
	Orthogonal transformation			
	Eigen values and Eigen vectors			
	Properties of Eigen Values			
	Cayley Hamilton theorem(without proof)			
	Reduction to Diagonal form, quadratic form, nature of quadratic			
	form			
Different	ial Calculus and its Applications			
10-11	Maclaurin's series,			
	Taylor's series			
12-13	Indeterminate Forms: L'Hospital's Rule/ Cauchy Rule			
	Forms: $\frac{0}{0}, \frac{\infty}{\infty}, \infty - \infty, 0 \times \infty, 0^0, 1^{\infty}, \infty^0$			
14-19	Partial Differentiation and its applications	2004		
	Function of two or more independent variables	30%		
	Partial derivatives			
	Homogeneous function & Euler's Theorem			
	Total derivative & Derivative of implicit function			
	Change of variable			
	Maxima and Minima			
Integral (	Calculus and its Applications			
20-28	Gamma and Beta Function			
	Volume of solids of revolution	20%		
	Surface areas of revolution			
	Double Integral: Definition, Evaluation			
	Change of order of integration – Cartesian form			
	Triple Integral: Definition, Evaluation			
Vector C	alculus and its Applications			
29-31	Scalar and Vector point function			
	Derivative of vector function	20%		
	Vector operator Del			
	Gradient of scalar point function, geometrical meaning of			
	gradient, Directional Derivative			
	Divergence and Curl of Vector point function			

	Physical interpretations of Divergence and Curl
	Solenoidal and Irrotational field
	Identities involving Del and second order differential
	operator(without proof)
32-34	Vector Integration - Line integral, work done, surface integral,
	Green's Theorem (without proof)
	Stoke's Theorem(without proof)
	Volume integral
	Gauss divergence theorem (without proof)

## **Practical Exercises**

Exercise No.	Торіс	
1	Applications of Matrices	
2	Applications of Eigen values and Eigen vectors	
3	Applications of Cayley-Hamilton theorem, diagonalization of matrices,	
	quadratic forms, nature of a quadratic form.	
4	Applications of Taylor's and Maclaurin's series	
5	Applications of Indeterminate forms	
6	Applications of Partial differentiation	
7	Maxima and minima	
8	Applications of Beta and Gama functions	
9	Tracing of Cartesian curves	
10	Applications: Volume and surface revolution	
11	Applications: To find area by double integral and to find volume of solids	
12	Applications mass of lamina, centre of gravity, centre of pressure, moment	
	of inertia	
13	Applications of Vector differentiation, Gradient, Directional derivative	
14	Applications of Divergence and Curl, solenoidal and irrotaional field	
15	Applications of Line integral-work done, surface and volume integrals	
16	Applications of Green's Theorem, Stoke's Theorem, Gauss divergence	
	theorem.	

## **Suggested Reading**

#### **Text Book**

1. Dr. Shinde K. J. et.al., 2017; A Text Book of Agricultural Engineering Mathematics -I

## **Reference Books**

- 1. Narayan Shanti, 2004; Differential Calculus. S. Chand and Co. Ltd. New Delhi.
- 2. Narayan Shanti, 2004; Integral Calculus. S. Chand and Co. Ltd. New Delhi.

- 3. Grewal B. S., 2015; Higher Engineering Mathematics. Khanna Publishers Delhi.(43rd Edition)
- Narayan Shanti, 2004; A Text Book of Vector Calculus. S. Chand and Co. Ltd. New Delhi.
  Narayan Shanti, 2004; A Text Book of Matrices. S. Chand and Co. Ltd. New Delhi.